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itb = Table[t, {t, 720}]; (* inner tip wing b *)
ita = Table[t, {t, 720}]; (* inner tip wing a *)
otb = Table[t, {t, 720}]; (* outer tip wing b *)
ota = Table[t, {t, 720}]; (* outer tip wing a *)

(* variable t is the 'ticking' angular degree *)

For[t = 1, t <= 720, t++,
z = N[Pi*t / 180];
itb[[t]] =
{
(z / 2) + (1 / 6) * Sin[z],
(1 / 2) + (1 / 6) * Cos[z]
};

ita[[t]] =
{
(z / 2) + (1 / 6) * Sin[z + Pi],
(1 / 2) + (1 / 6) * Cos[z + Pi]
};

otb[[t]] =
{
(z / 2) + (1 / 2) * Sin[z],
(1 / 2) + (1 / 2) * Cos[z]
};

ota[[t]] =
{
(z / 2) + (1 / 2) * Sin[z + Pi],
(1 / 2) + (1 / 2) * Cos[z + Pi]
}
];

ListPlot[ota, PlotStyle -> PointSize[0.001],
Axes -> Automatic, PlotRange -> {{0, 2 Pi}, {0, 1}}];
ListPlot[itb, PlotStyle -> PointSize[0.001], Axes -> Automatic,
PlotRange -> {{0, 2 Pi}, {0, 1}}];
ListPlot[ita, PlotStyle -> PointSize[0.001], Axes -> Automatic,
PlotRange -> {{0, 2 Pi}, {0, 1}}];
ListPlot[otb, PlotStyle -> PointSize[0.001], Axes -> Automatic,
PlotRange -> {{0, 2 Pi}, {0, 1}}];

(* Savonius wave tracings *)

graymat =.
height = 100;
width = 720;
graymat = Table[{x, y}, {x, height}, {y, width}];
graymat[[All, All]] = {0, 0, 0};

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(* ota[t] contains 720 x,y pairs, dimensions 720 x 2,
for the points lying on the path of the ota,
so find all points in graymat that match those points and color them red;
however, use regularly spaced x points generated
by a loop rather than the actual data from above *)

For[t = 1, t <= 720, t++, graymat[[{(Floor[99 * ota[[t, 2]] ] + 1), t}]] = {1, 0, 0}];

(* likewise for the other three waves *)

For[t = 1, t <= 720, t++, graymat[[{(Floor[99 * otb[[t, 2]] ] + 1), t}]] = {0, 1, 0}];
For[t = 1, t <= 720, t++, graymat[[{(Floor[99 * ita[[t, 2]] ] + 1), t}]] = {0, 0, 1}];
For[t = 1, t <= 720, t++, graymat[[{(Floor[99 * itb[[t, 2]] ] + 1), t}]] = {1, 1, 0};

(* Savonius circles centered at y=
Pi*height of radius r at centers x= h/3 and 2*h/3 *)

rs = (height / 3)^2; (*radius squared *)
tol = 100;
For[x = 1, x <= height, x++,
  For[y = 1, y <= width, y++,
    If[(-tol < (rs - ((y - 360)^2 + (x - 66.6)^2)) < tol) && y >= 360,
      graymat[[x, y]] = {0.5, 0.5, 0.5}];
    If[(-tol < (rs - ((y - 360)^2 + (x - 33.3)^2)) < tol) && y <= 360,
      graymat[[x, y]] = {0.5, 0.5, 0.5}]
  ]];
gmat = Graphics[RasterArray[Apply[RGBColor, graymat, {2}]],
  ImageSize -> {width, height}, AspectRatio -> Automatic];
Show[gmat];

height = 100;
width = 720;
graymat = Table[{x, y}, {x, height}, {y, width}];
graymat[[All, All]] = {0, 0, 0};

(* N[720/(2*Pi)] =114.59155902616465`*)

For[t = 1, t <= 720, t++,
  graymat[[{(Floor[99 * ota[[t, 2]] ] + 1), (Floor[114 * ota[[t, 1]] ] + 1)}]] = {1, 0, 0}];
For[t = 1, t <= 720, t++,
  graymat[[{(Floor[99 * otb[[t, 2]] ] + 1), (Floor[114 * otb[[t, 1]] ] + 1)}]] = {0, 1, 0}];
For[t = 1, t <= 720, t++,
  graymat[[{(Floor[99 * ita[[t, 2]] ] + 1), (Floor[114 * ita[[t, 1]] ] + 1)}]] = {0, 0, 1}];
For[t = 1, t <= 720, t++,
  graymat[[{(Floor[99 * itb[[t, 2]] ] + 1), (Floor[114 * itb[[t, 1]] ] + 1)}]] = {1, 1, 0};

(* Savonius circles centered at y=
Pi*height of radius r at centers x= h/3 and 2*h/3 *)

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rs = (height / 3)^2; (*radius squared *)
tol = 100;
For[x = 1, x ≤ height, x++,
  For[y = 1, y ≤ width, y++,
    If[(-tol < (rs - ((y - 360)^2 + (x - 66.6)^2)) < tol) && y ≥ 360],
      graymat[[x, y]] = {0.5, 0.5, 0.5}];
    If[(-tol < (rs - ((y - 360)^2 + (x - 33.3)^2)) < tol) && y ≤ 360],
      graymat[[x, y]] = {0.5, 0.5, 0.5}]
  ];
];

gmat = Graphics[RasterArray[Apply[RGBColor, graymat, {2}]],
  ImageSize → {width, height}, AspectRatio → Automatic];
Show[
  gmat];

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